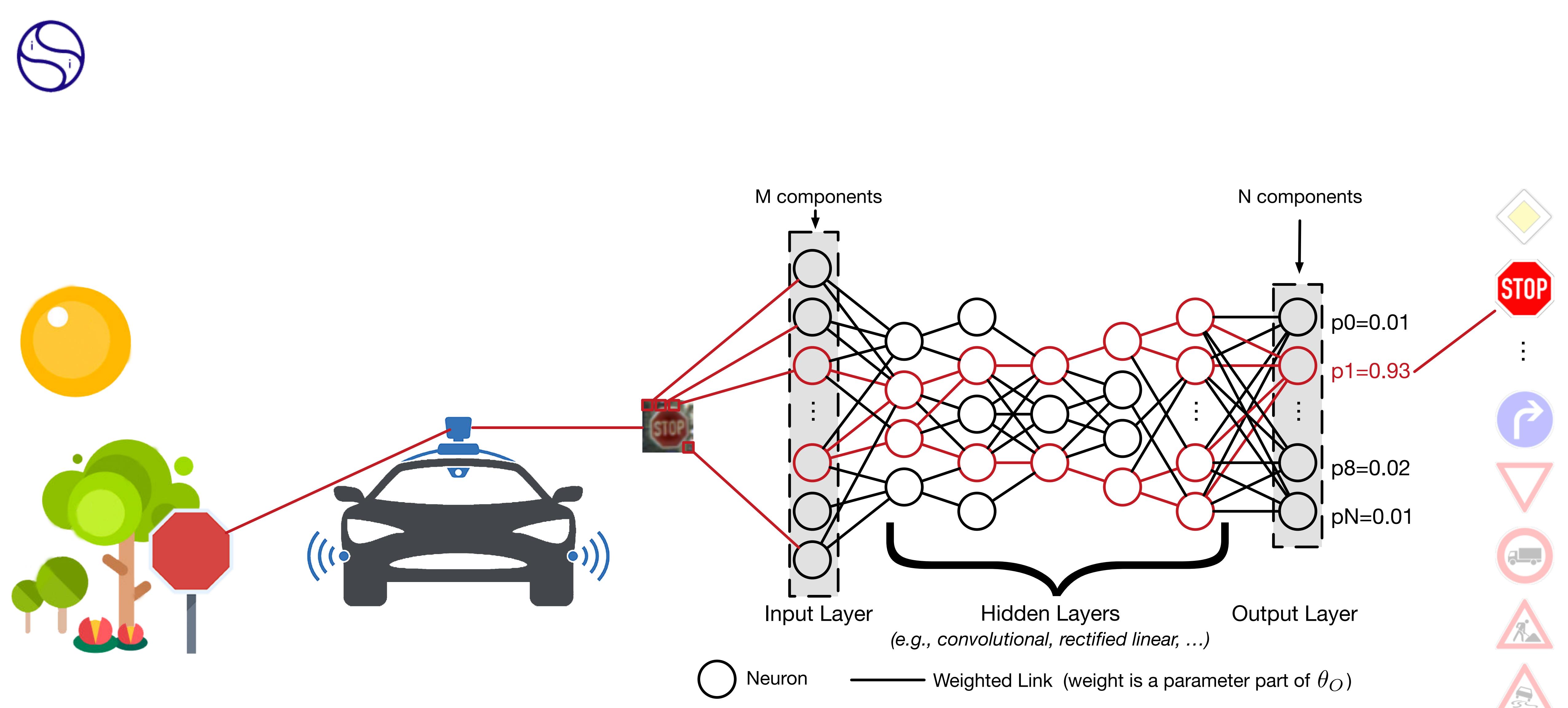


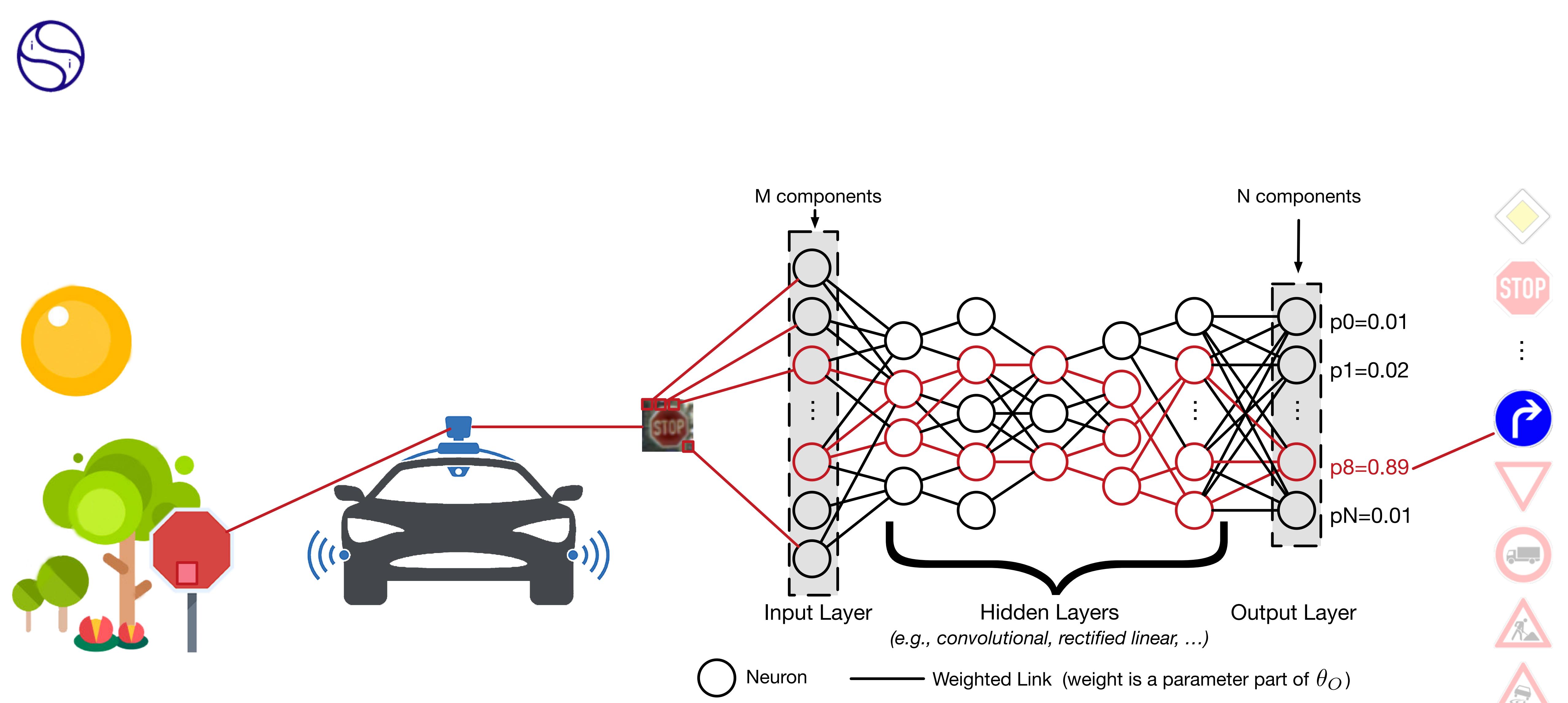


Distillation as a Defense to Adversarial Perturbations against Deep Neural Networks

Nicolas Papernot, Patrick McDaniel, Xi Wu, Somesh Jha, and Ananthram Swami

May 24th, 2016 @ 37th IEEE Symposium on Security and Privacy





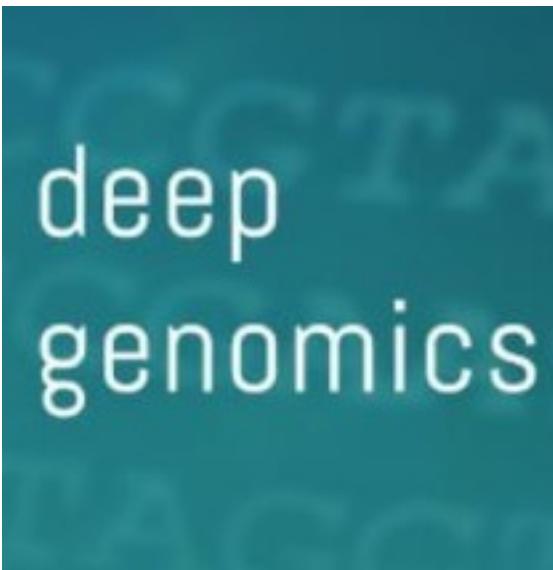


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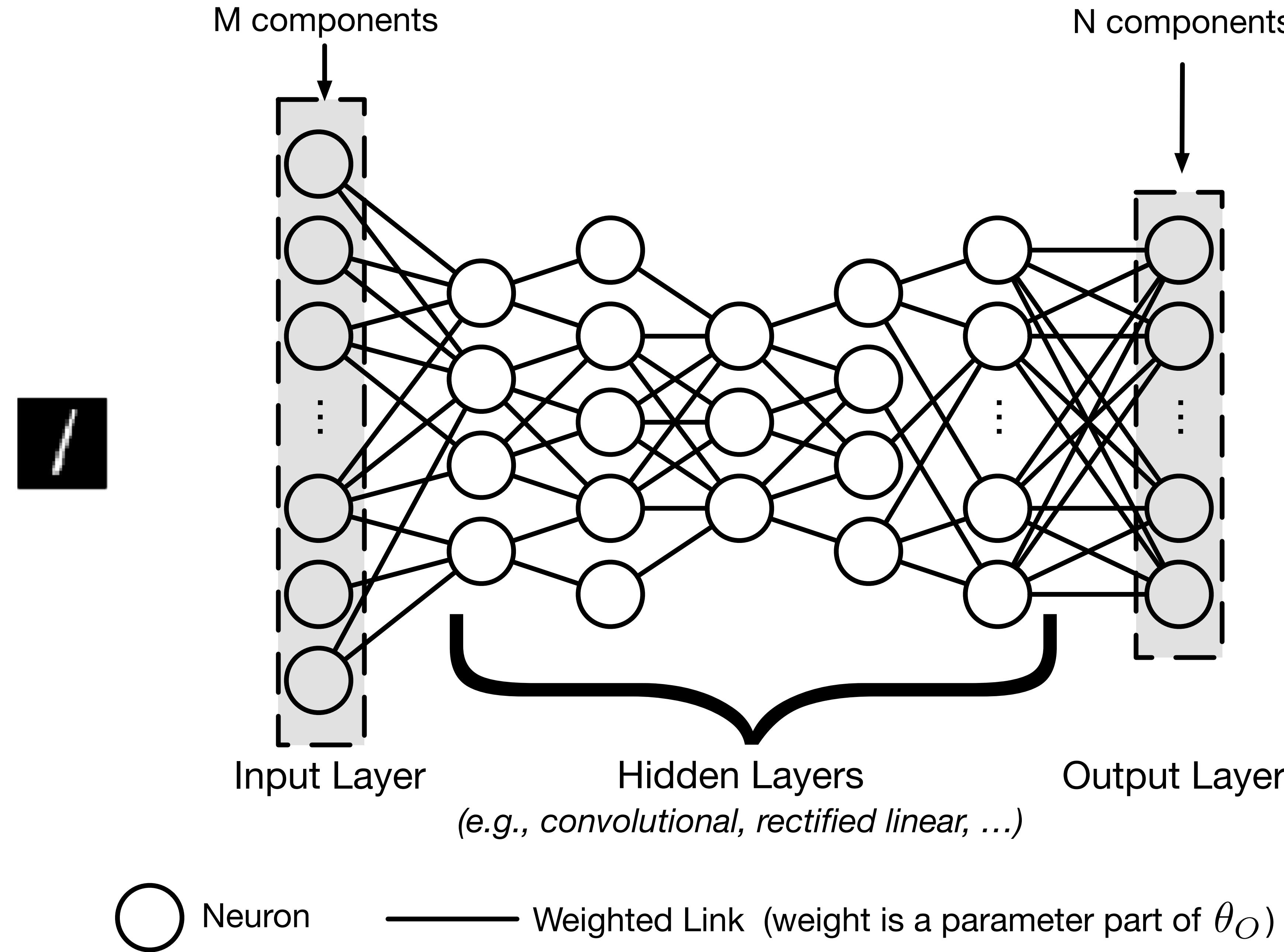
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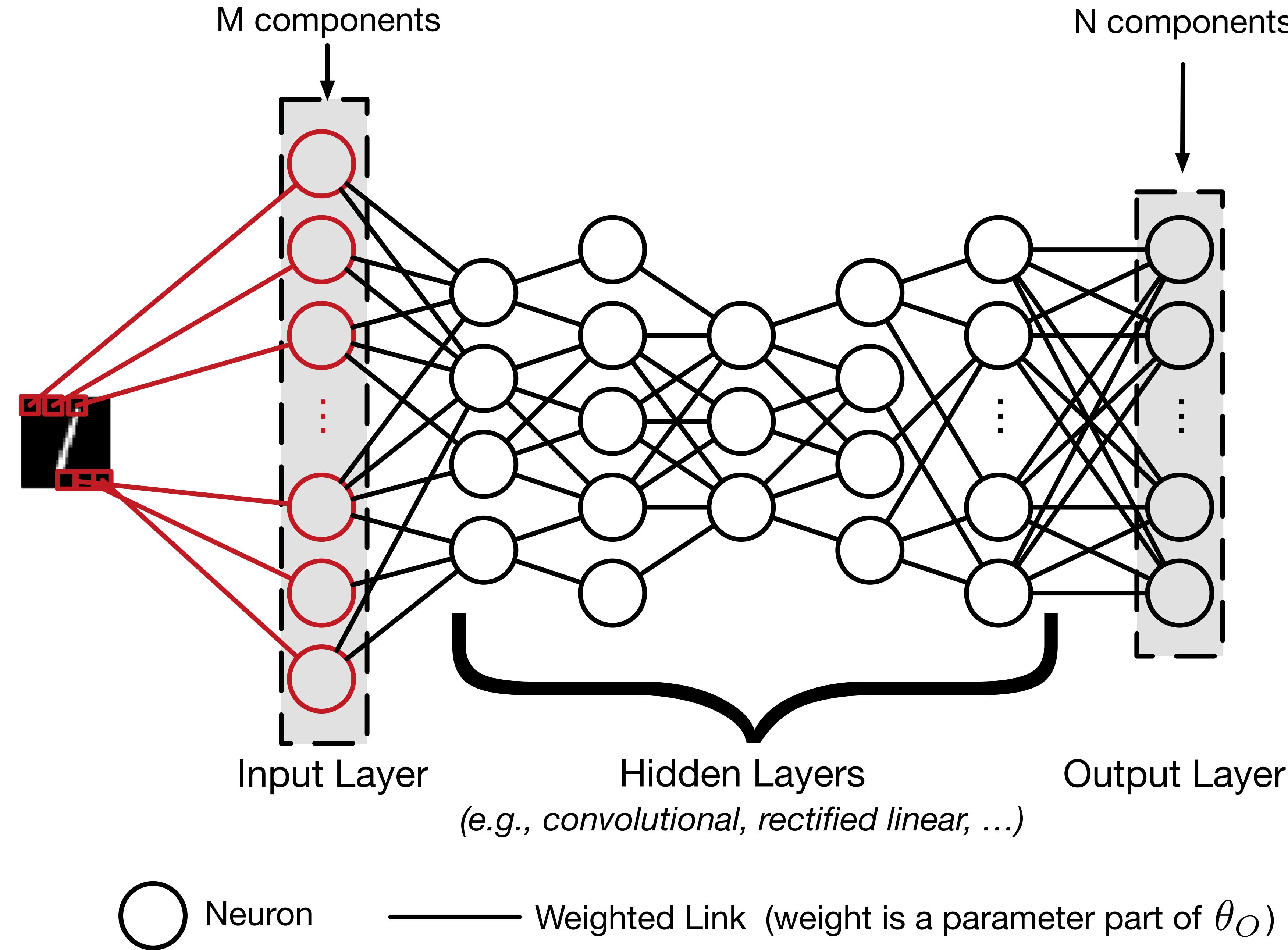
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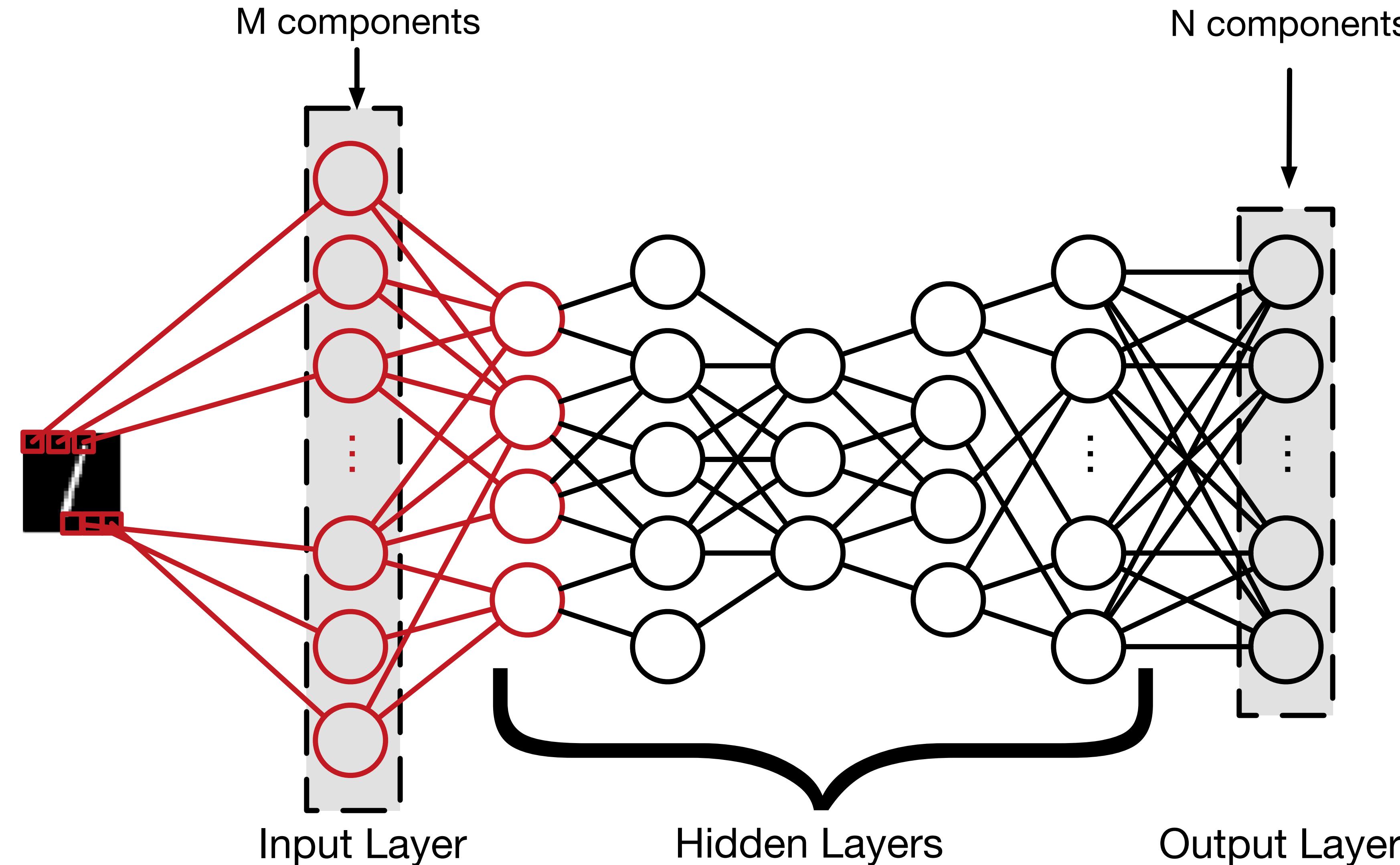
 **MetaMind**



Deep Learning for Classification

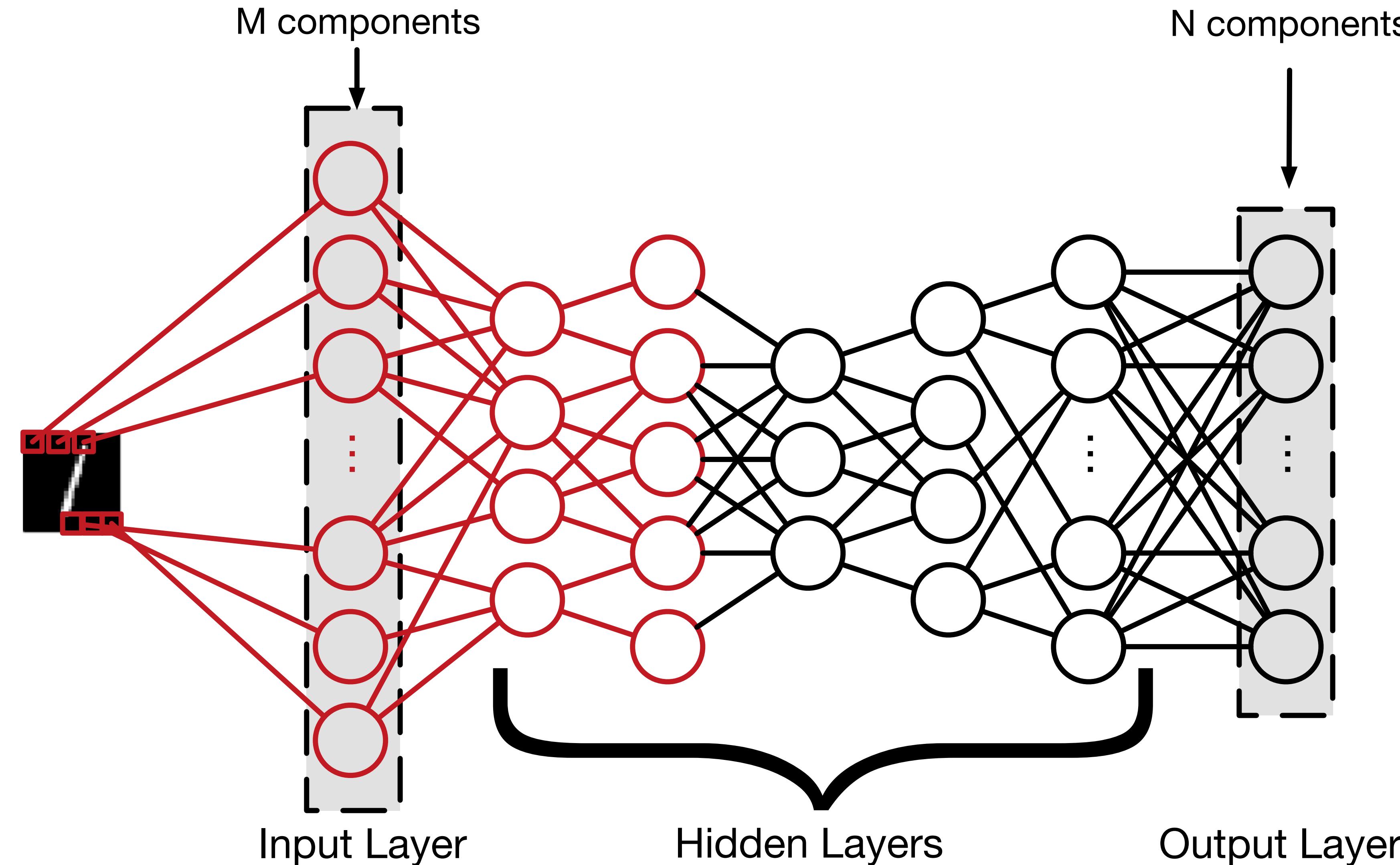






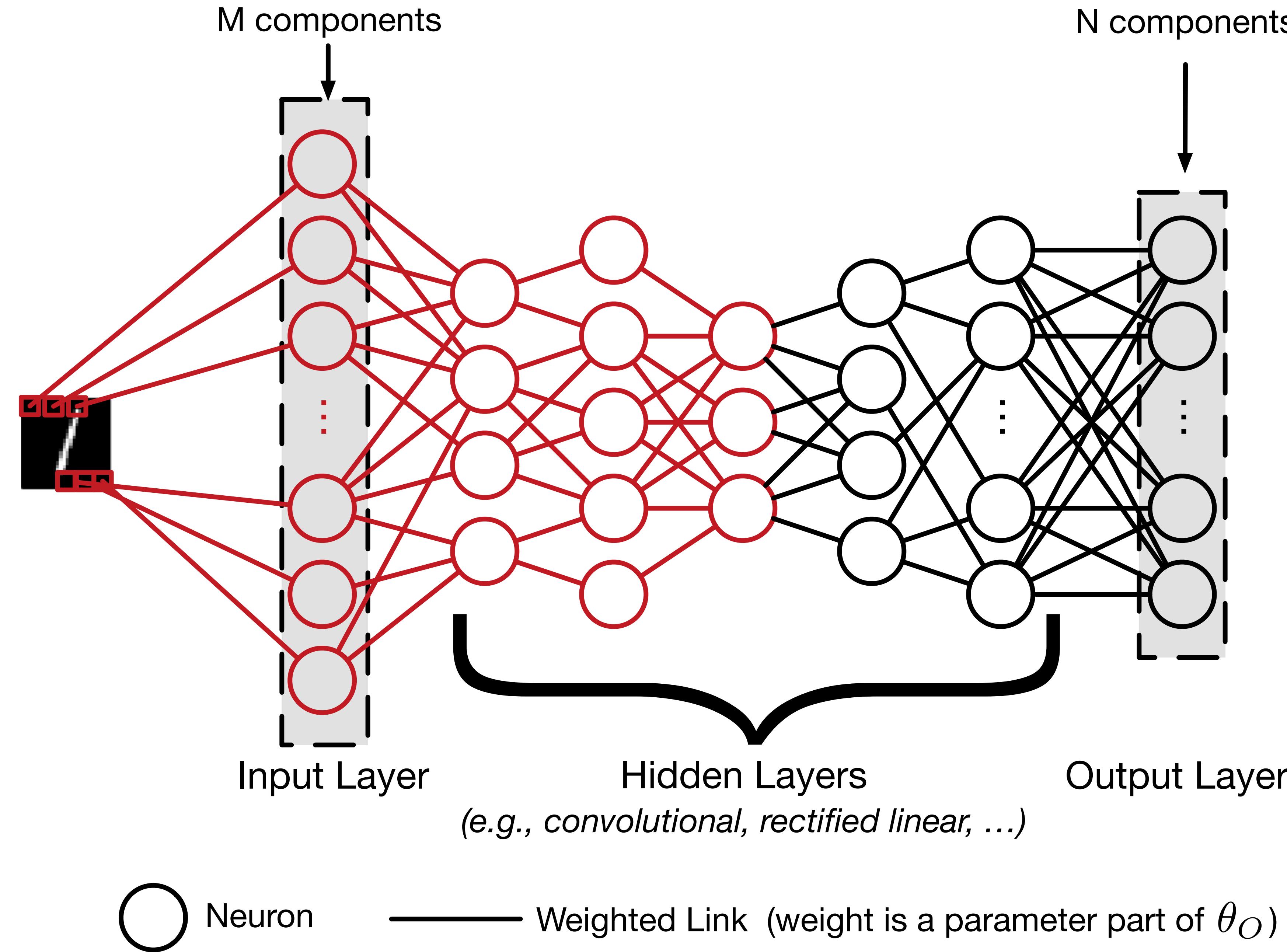
○ Neuron

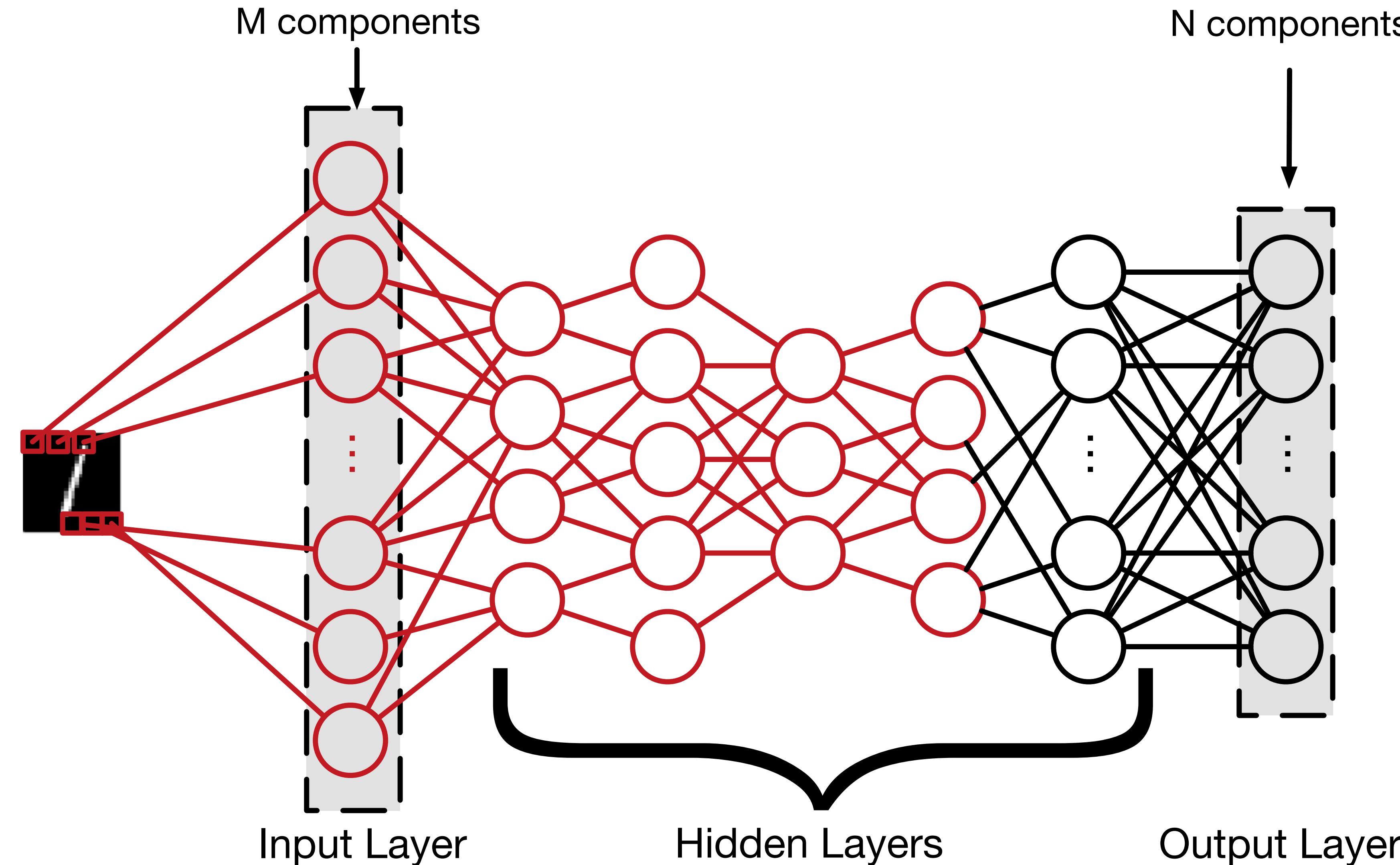
— Weighted Link (weight is a parameter part of θ_O)



○ Neuron

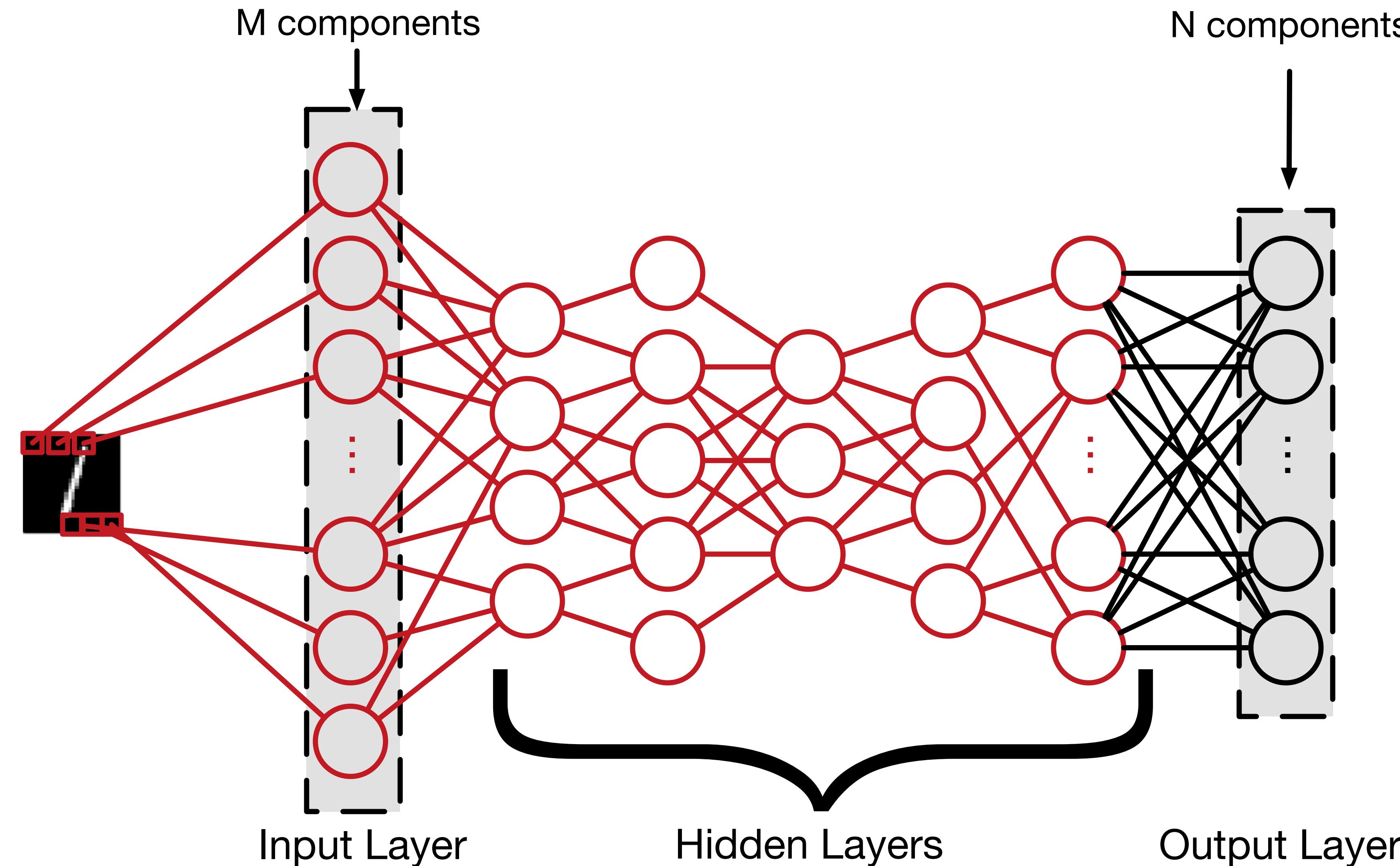
— Weighted Link (weight is a parameter part of θ_O)





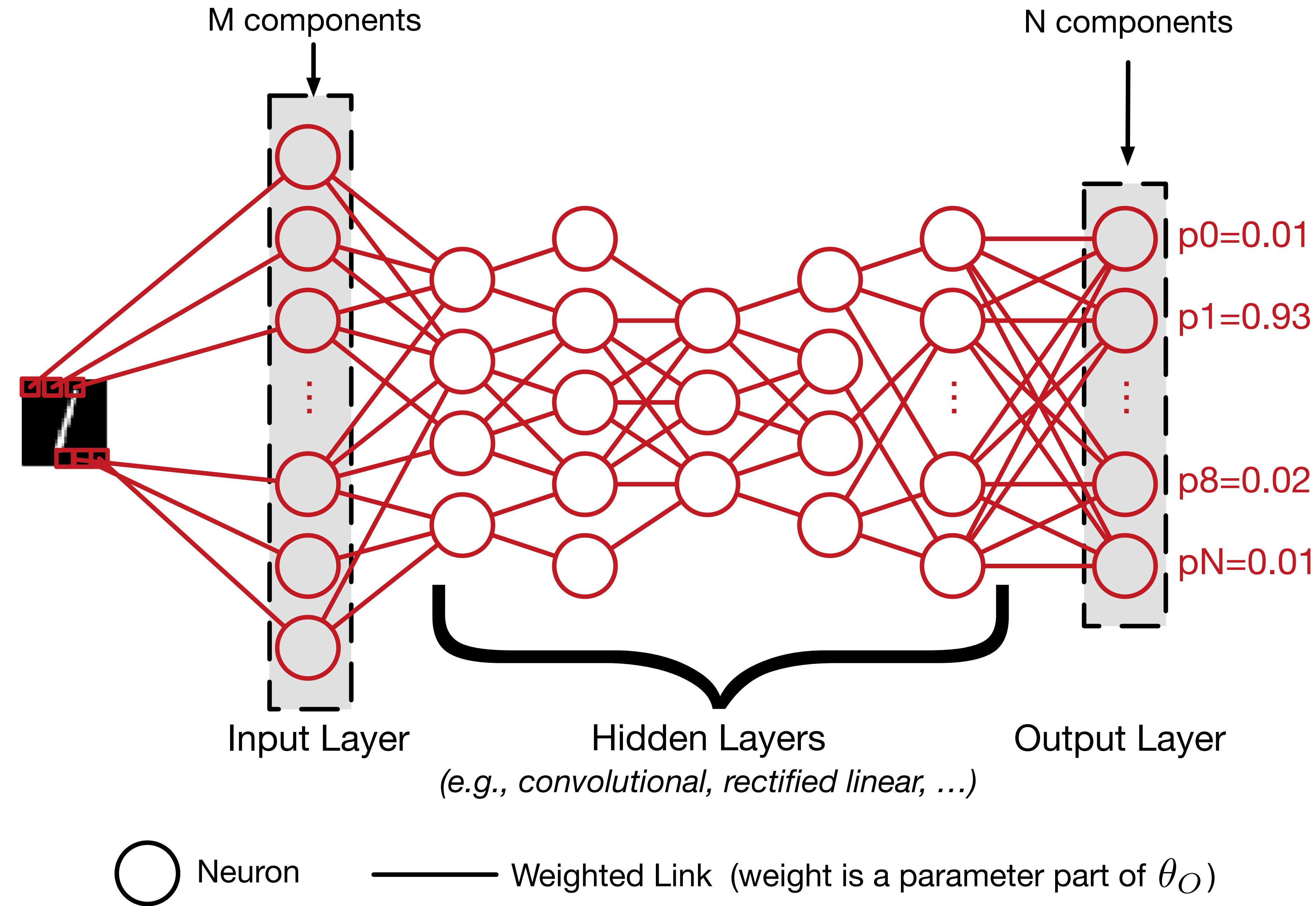
○ Neuron

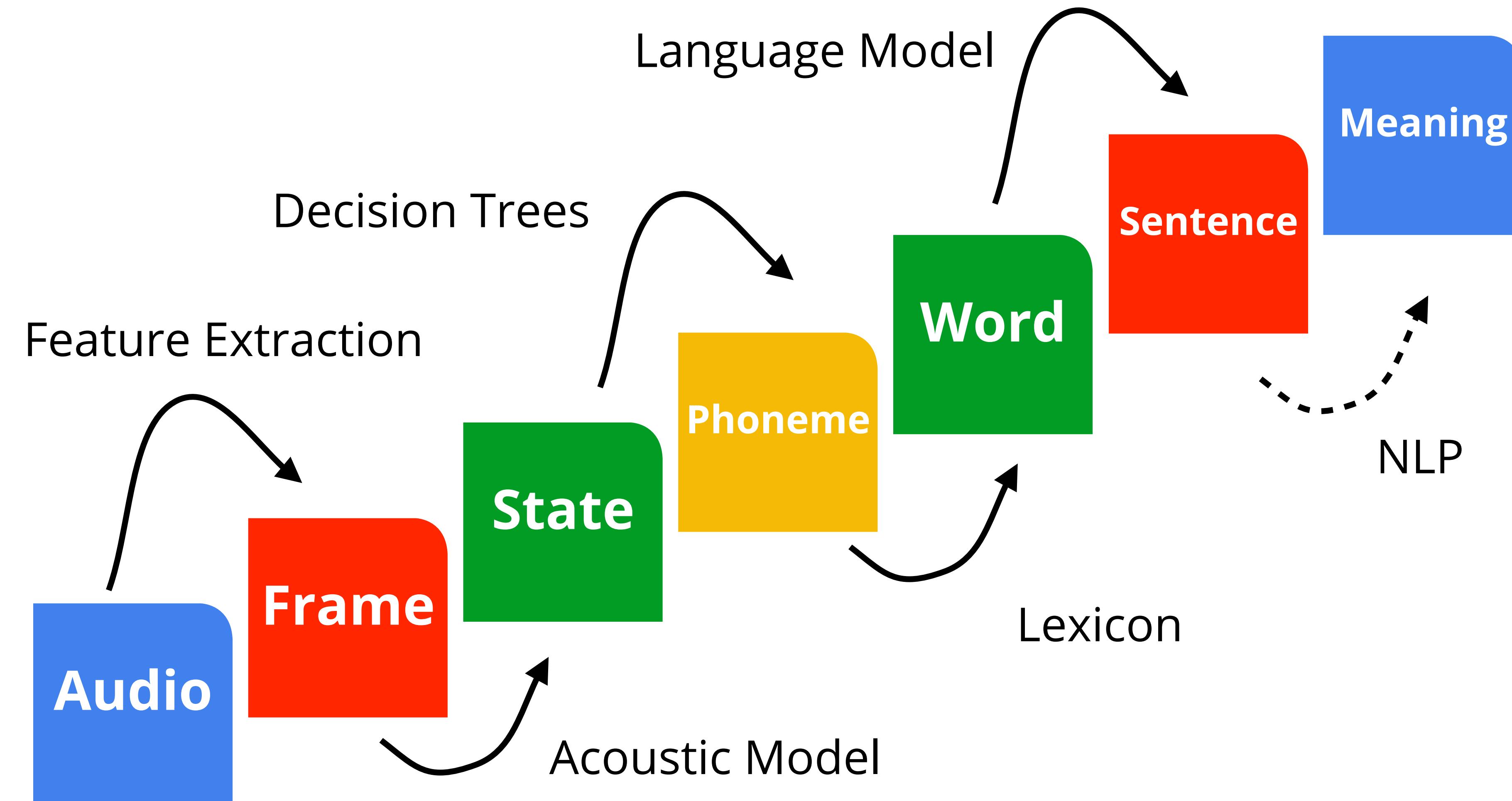
— Weighted Link (weight is a parameter part of θ_O)



○ Neuron

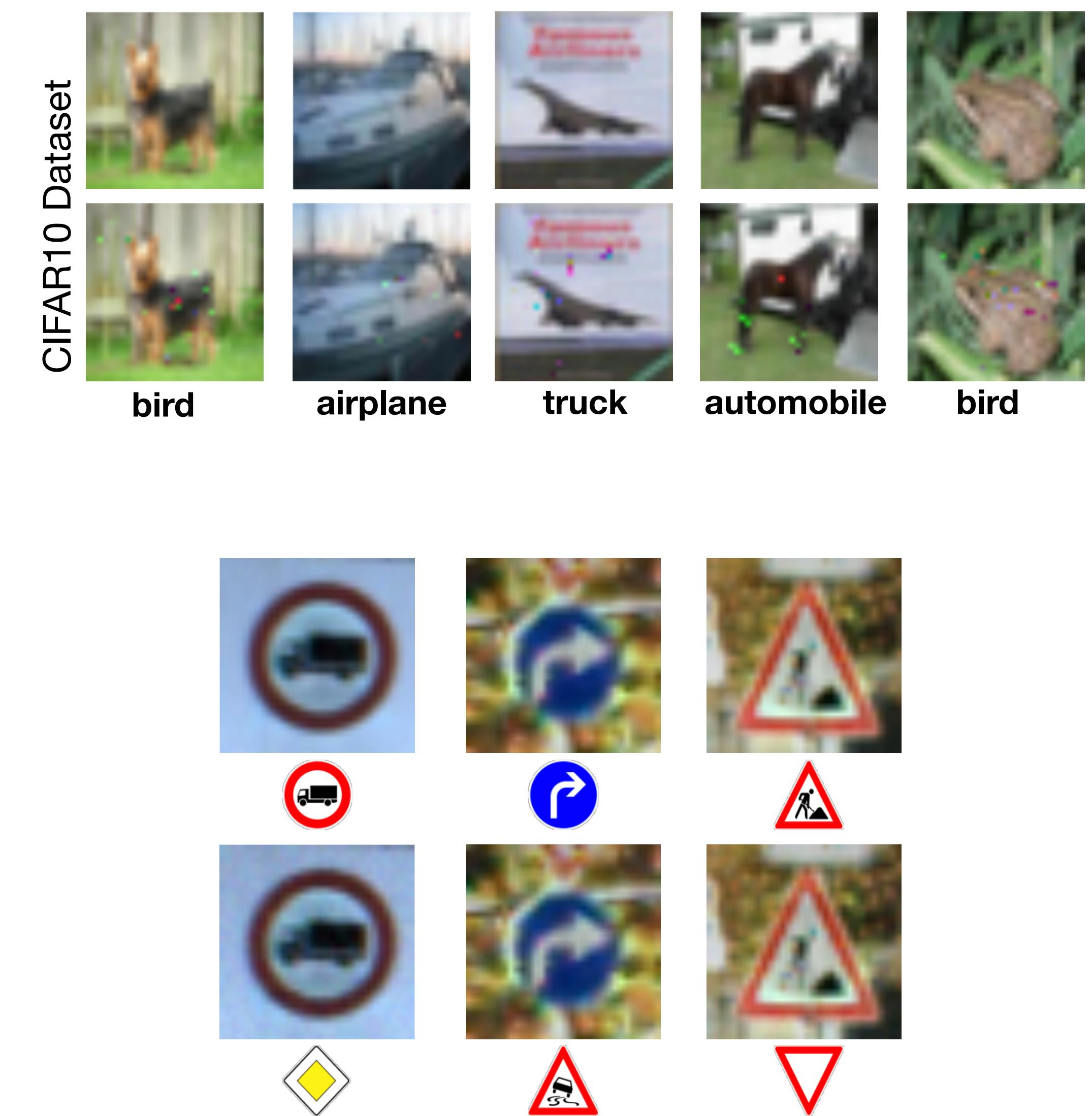
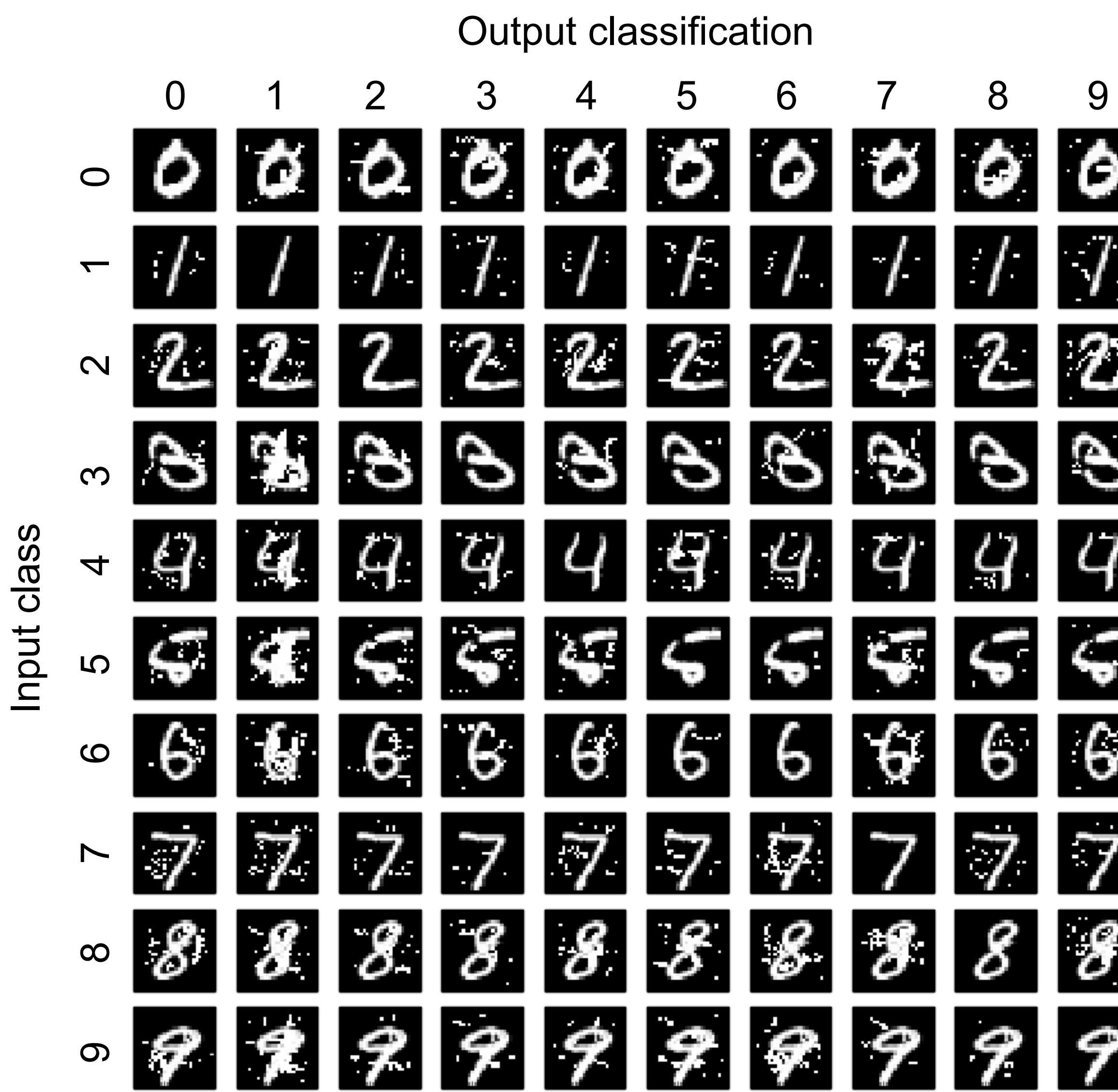
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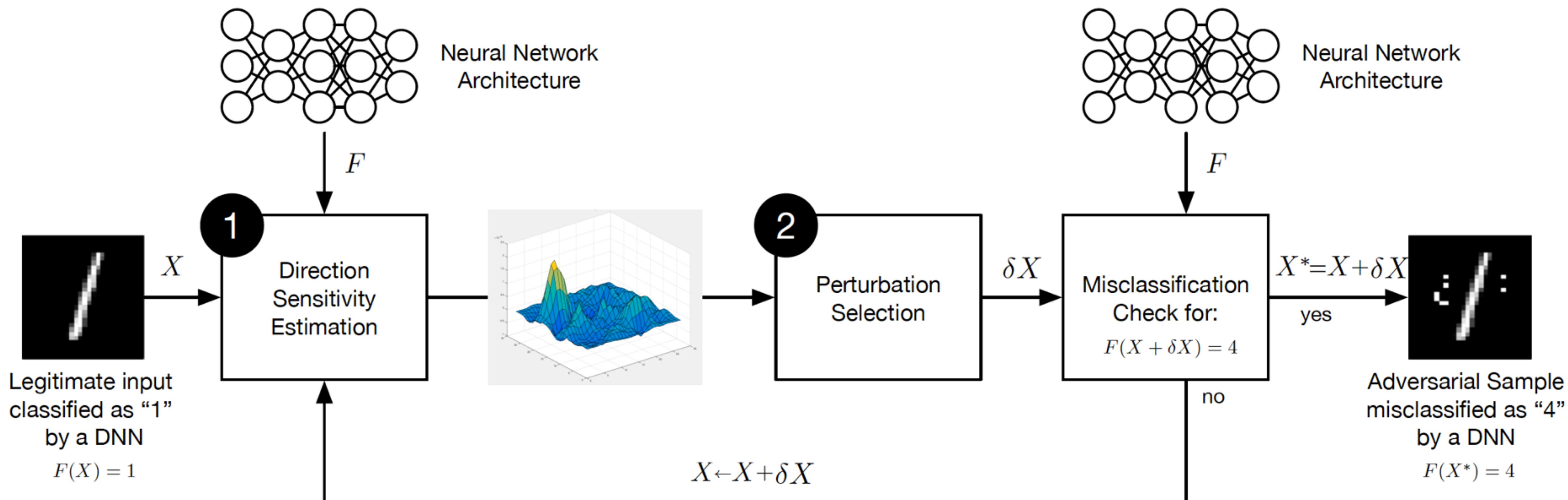


Adversarial Samples





Adversarial strategy

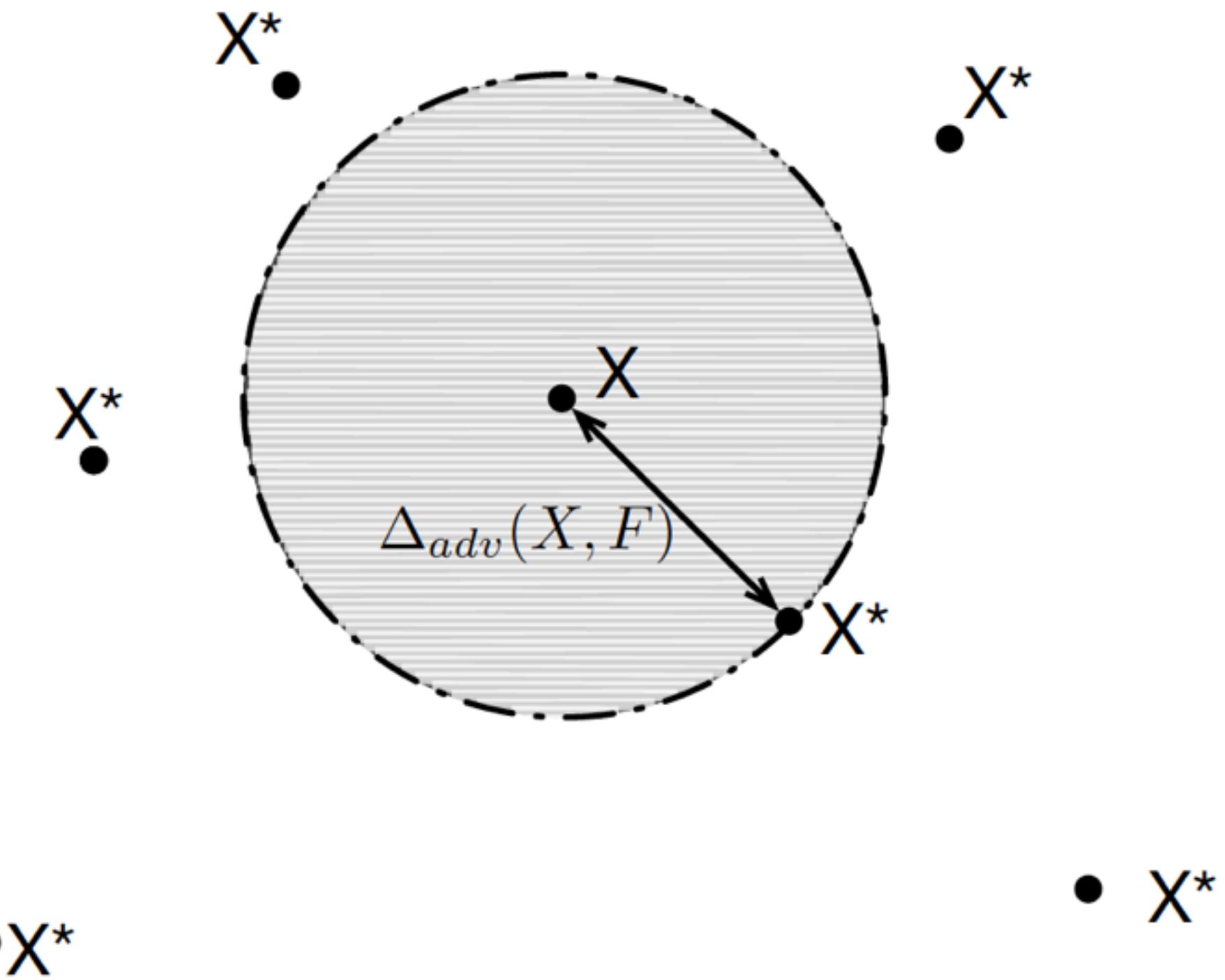




Defending against Adversarial Perturbations



DNN Robustness



$$\rho_{adv}(F) = E_\mu[\Delta_{adv}(X, F)]$$

$$\Delta_{adv}(X, F) = \arg \min_{\delta X} \{ \|\delta X\| : F(X + \delta X) \neq F(X) \}$$

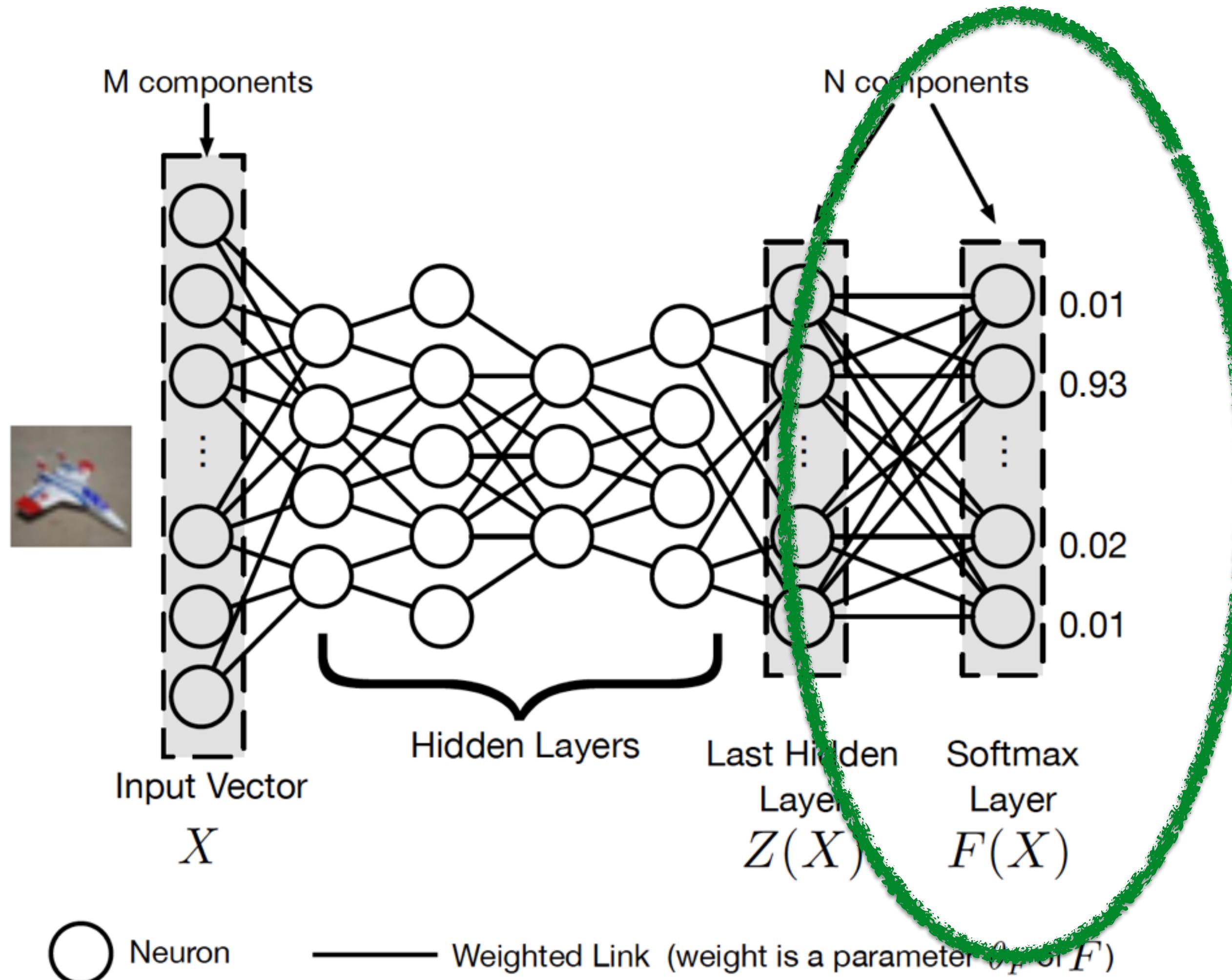


Defense Design

- **Low impact on the architecture**
- Maintain **accuracy**
 - Robust in space **relatively close to the legitimate distribution**
- Maintain **speed** of network



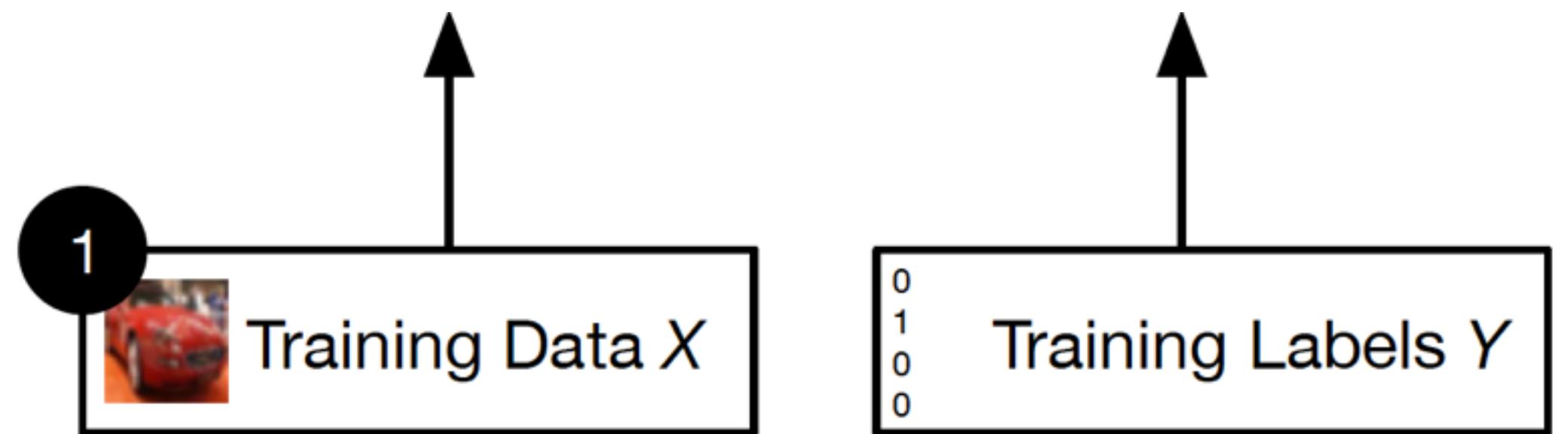
Softmax Layer and Probabilities



$$F(X) = \left[\frac{e^{z_i(X)/T}}{\sum_{l=0}^{N-1} e^{z_l(X)/T}} \right]_{i \in 0..N-1}$$

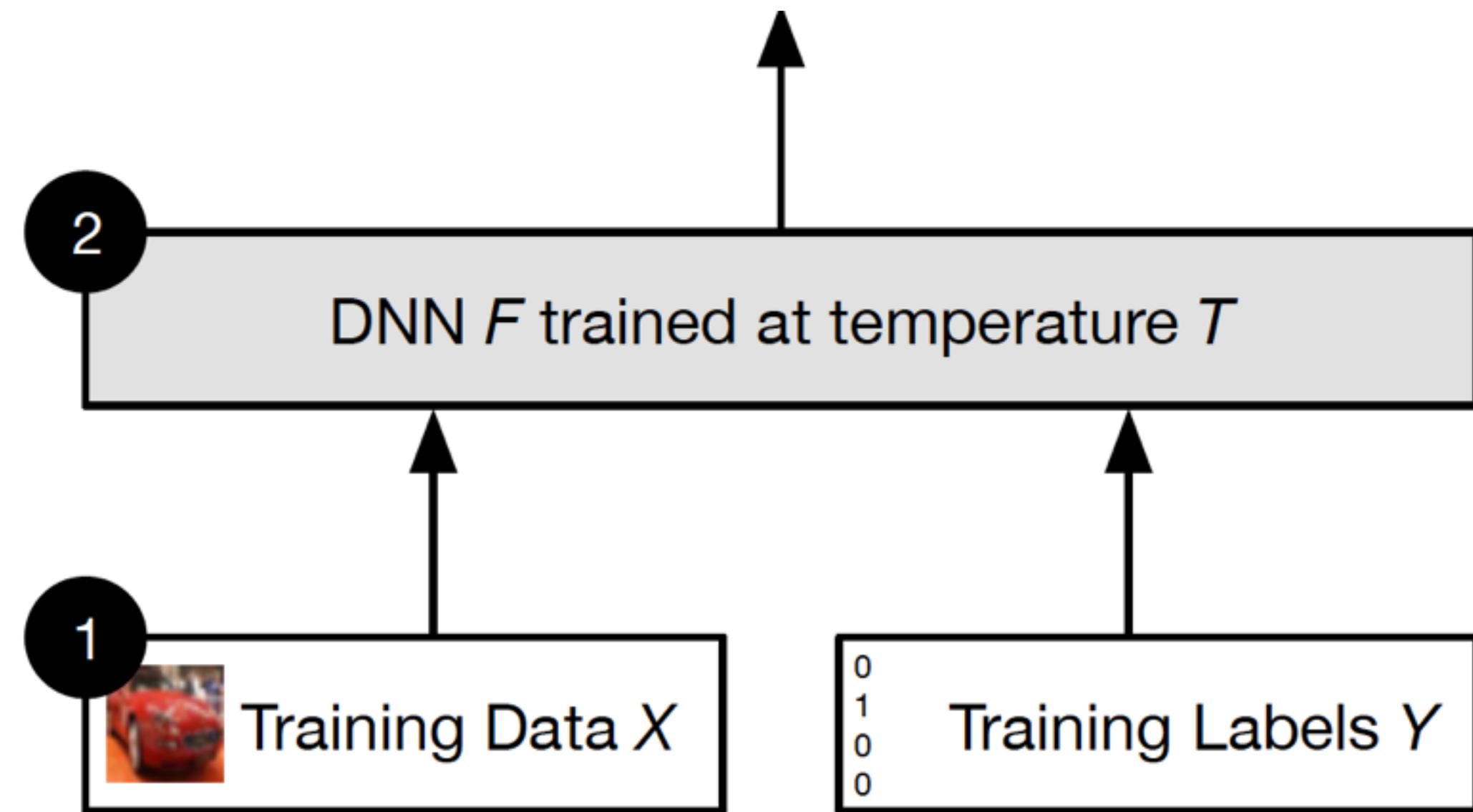


Defensive Distillation



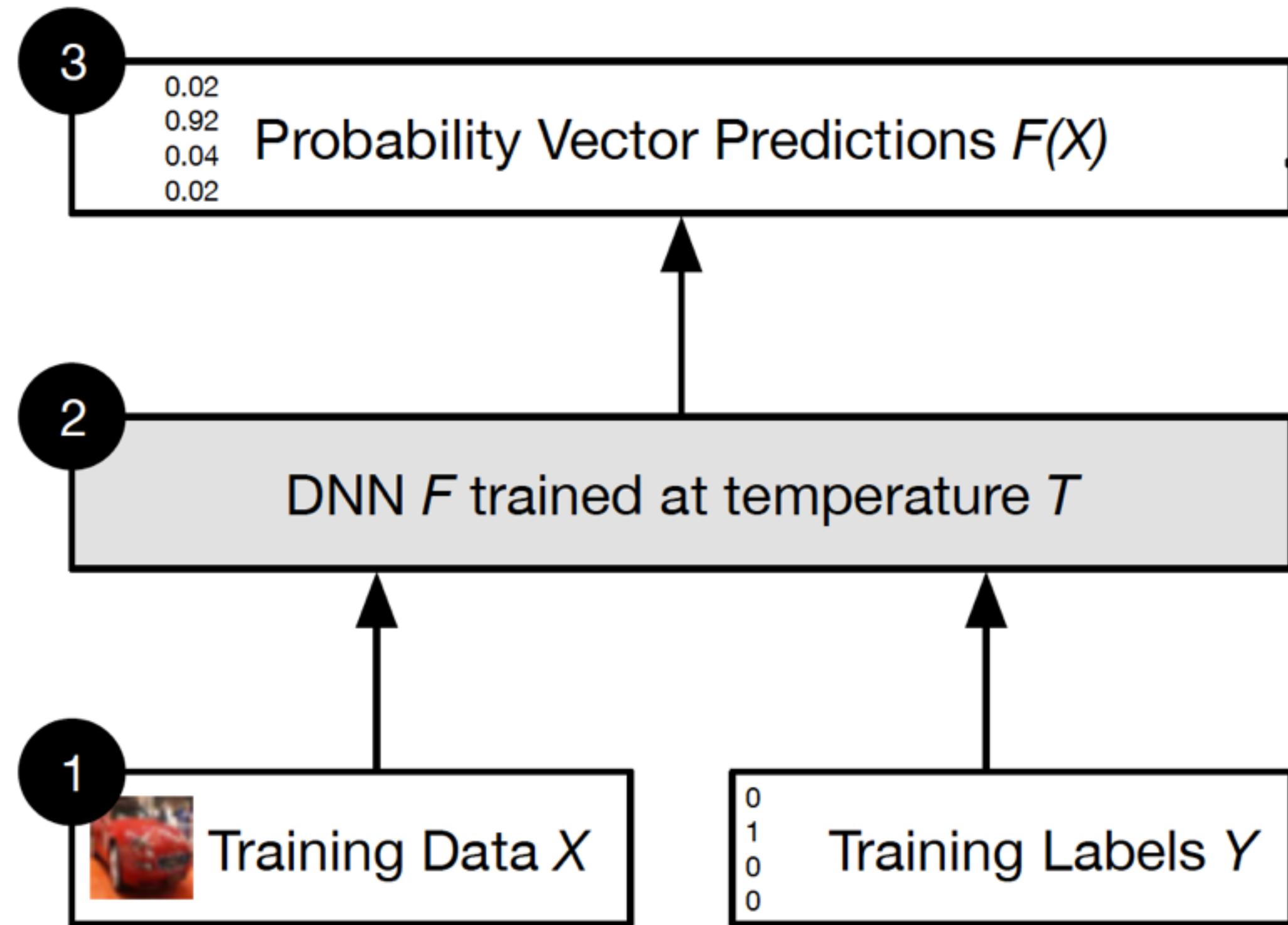


Defensive Distillation



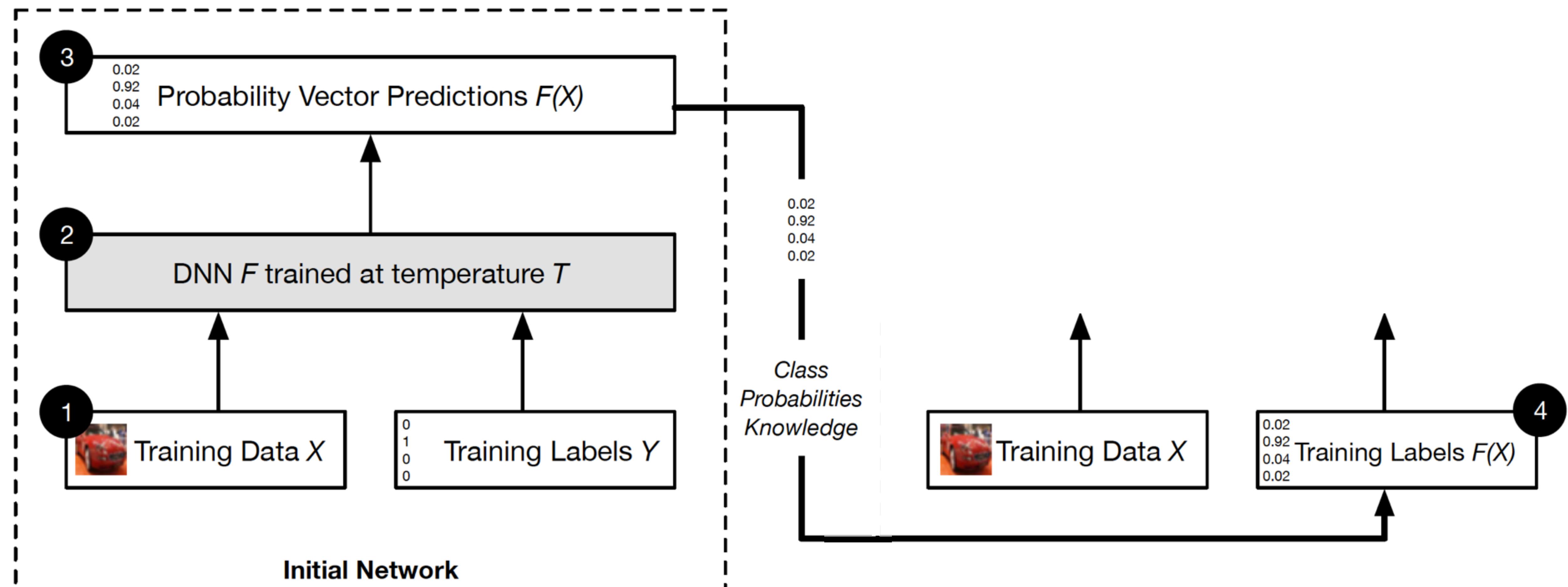


Defensive Distillation



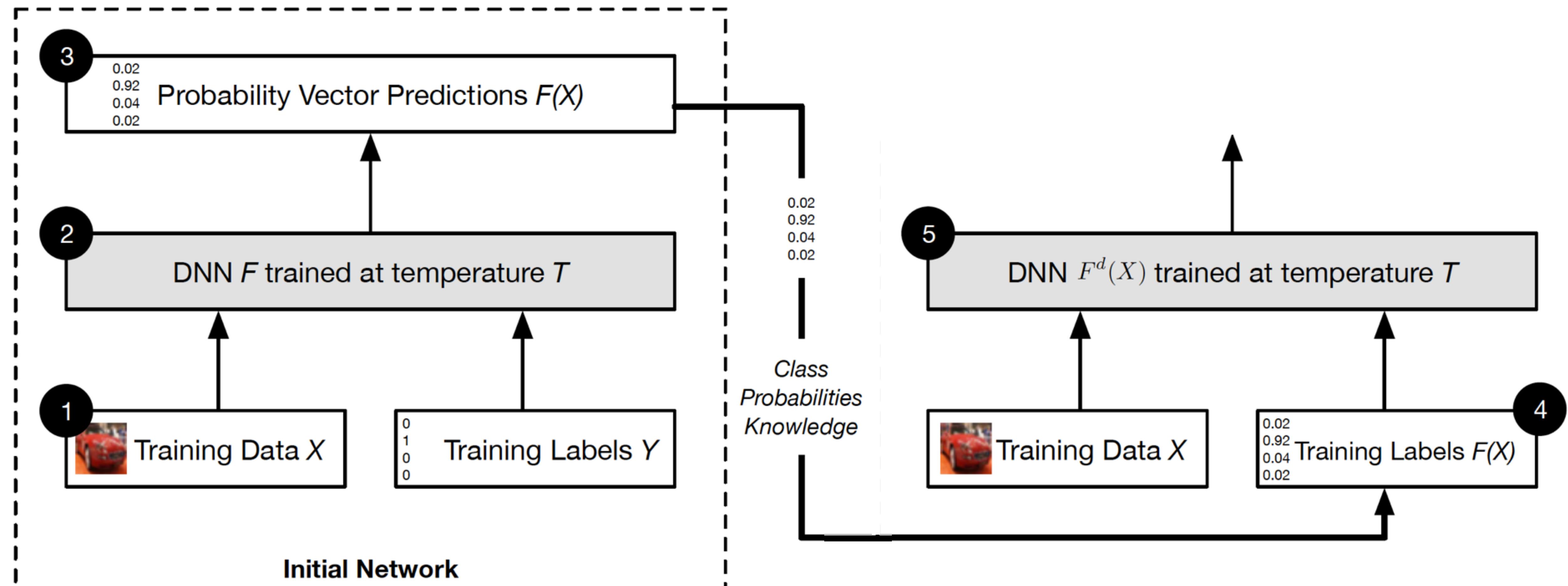


Defensive Distillation



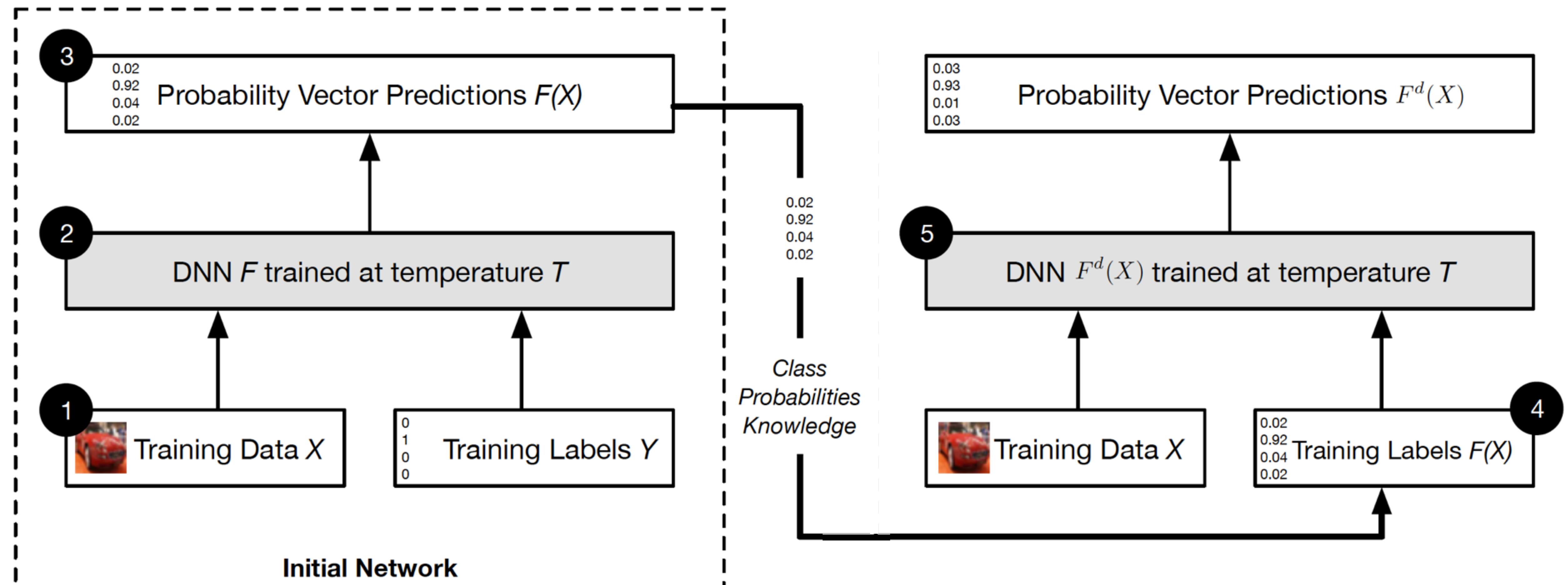


Defensive Distillation



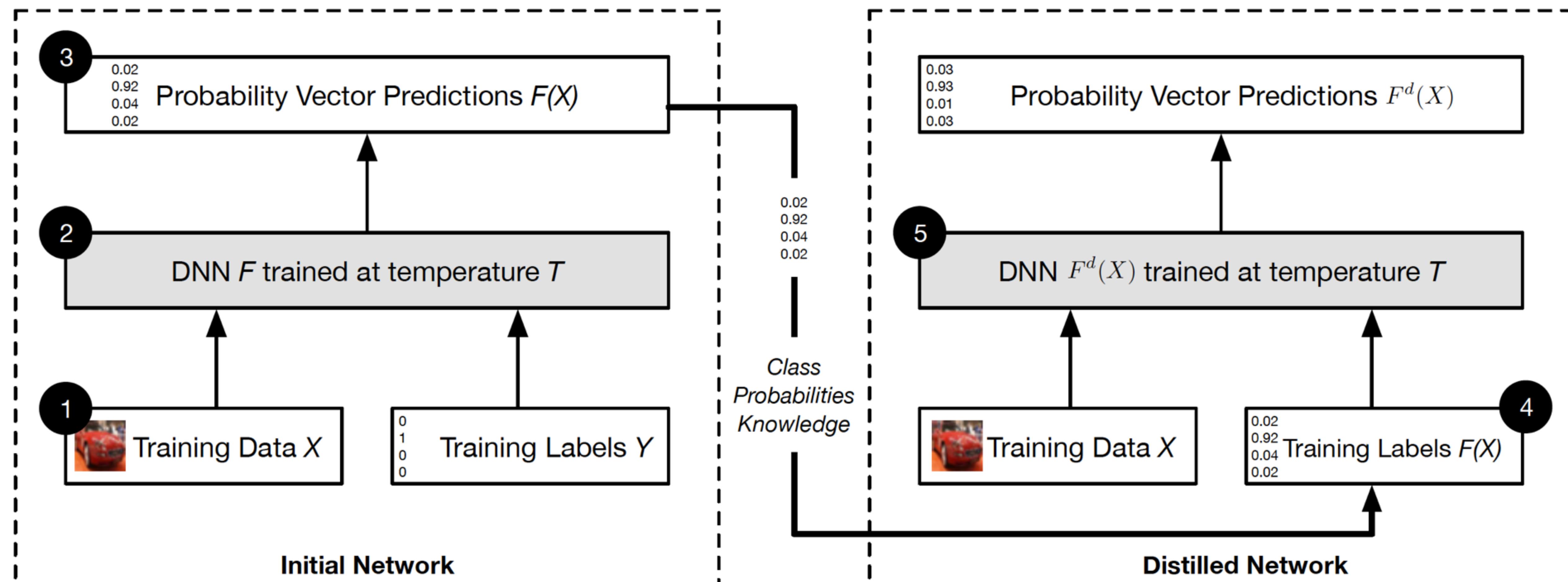


Defensive Distillation





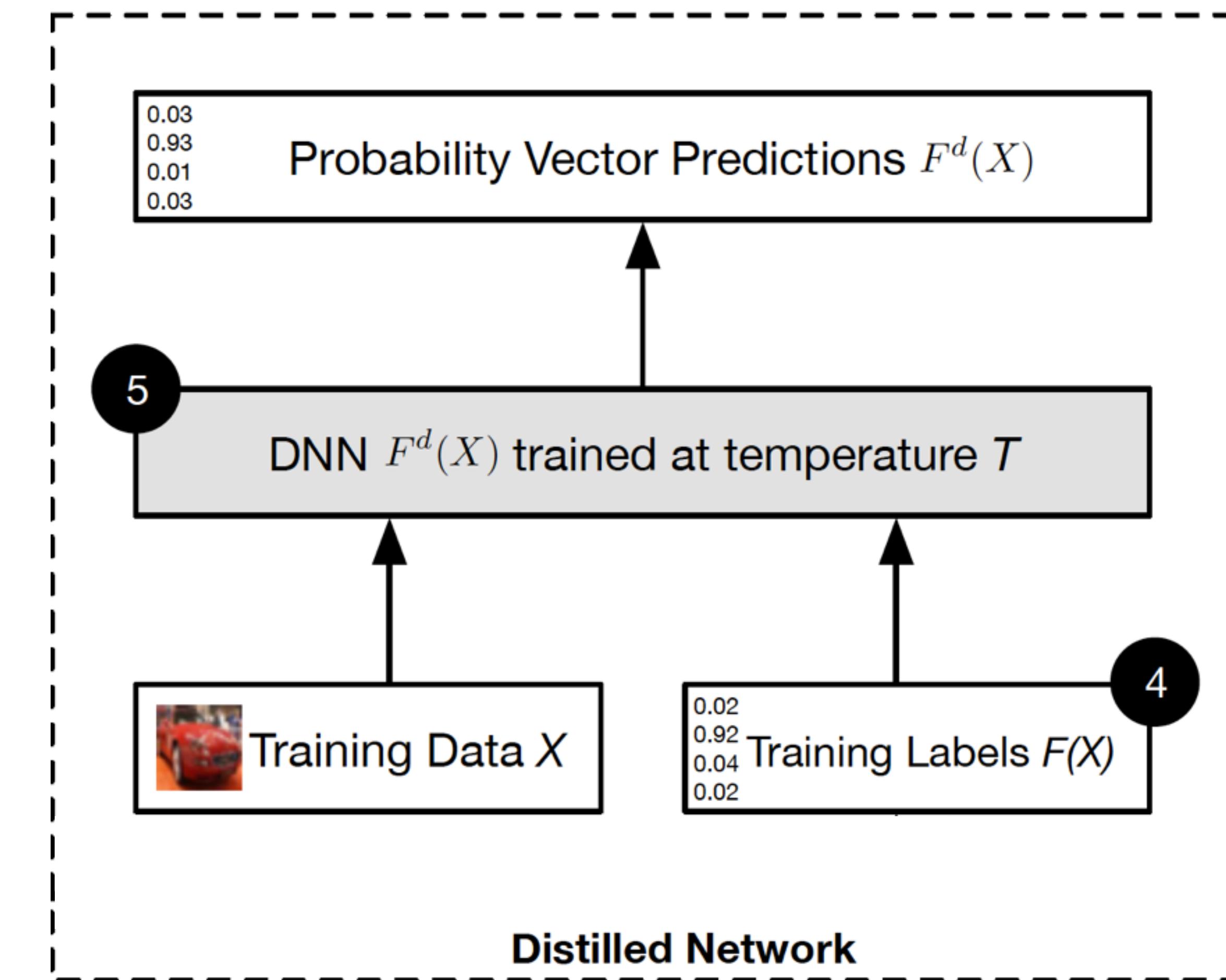
Defensive Distillation





Defensive Distillation

Set temperature $T=1$
for predictions





Intuition behind Defensive Distillation

Constraining Training

$$\arg \min_{\theta_F} -\frac{1}{|\mathcal{X}|} \sum_{X \in \mathcal{X}} \sum_{i \in 0..N} Y_i(X) \log F_i(X)$$

0 if i not correct class

$$\arg \min_{\theta_F} -\frac{1}{|\mathcal{X}|} \sum_{X \in \mathcal{X}} \sum_{i \in 0..N} F_i(X) \log F_i^d(X)$$

never equal to 0



Reducing Jacobian Amplitudes

$$J_F(T, i, j)$$

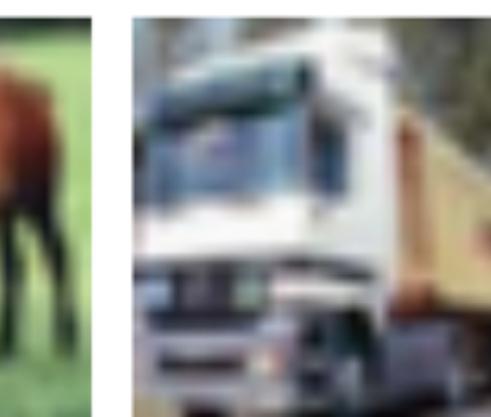
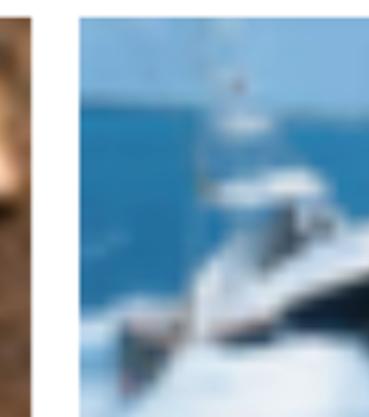
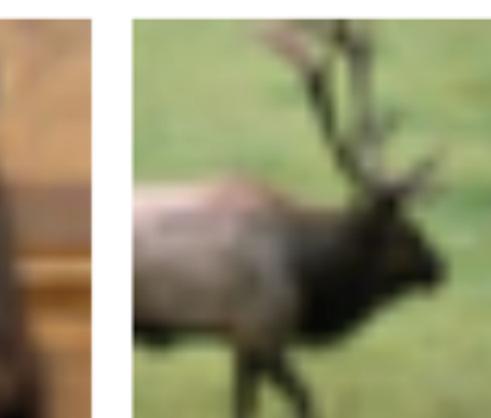
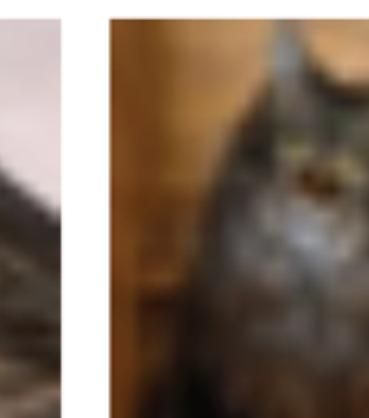
$$= \frac{1}{T} \frac{e^{z_i/T}}{g^2(X)} \left(\sum_{l=0}^{N-1} \left(\frac{\partial z_i}{\partial X_j} - \frac{\partial z_l}{\partial X_j} \right) e^{z_l/T} \right)$$

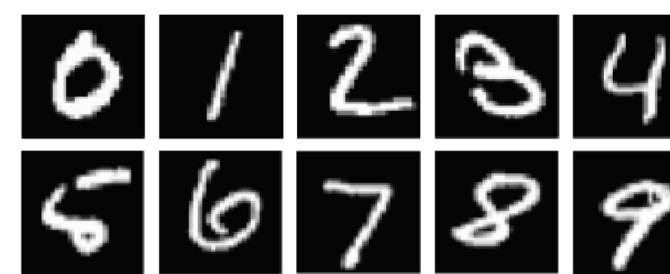
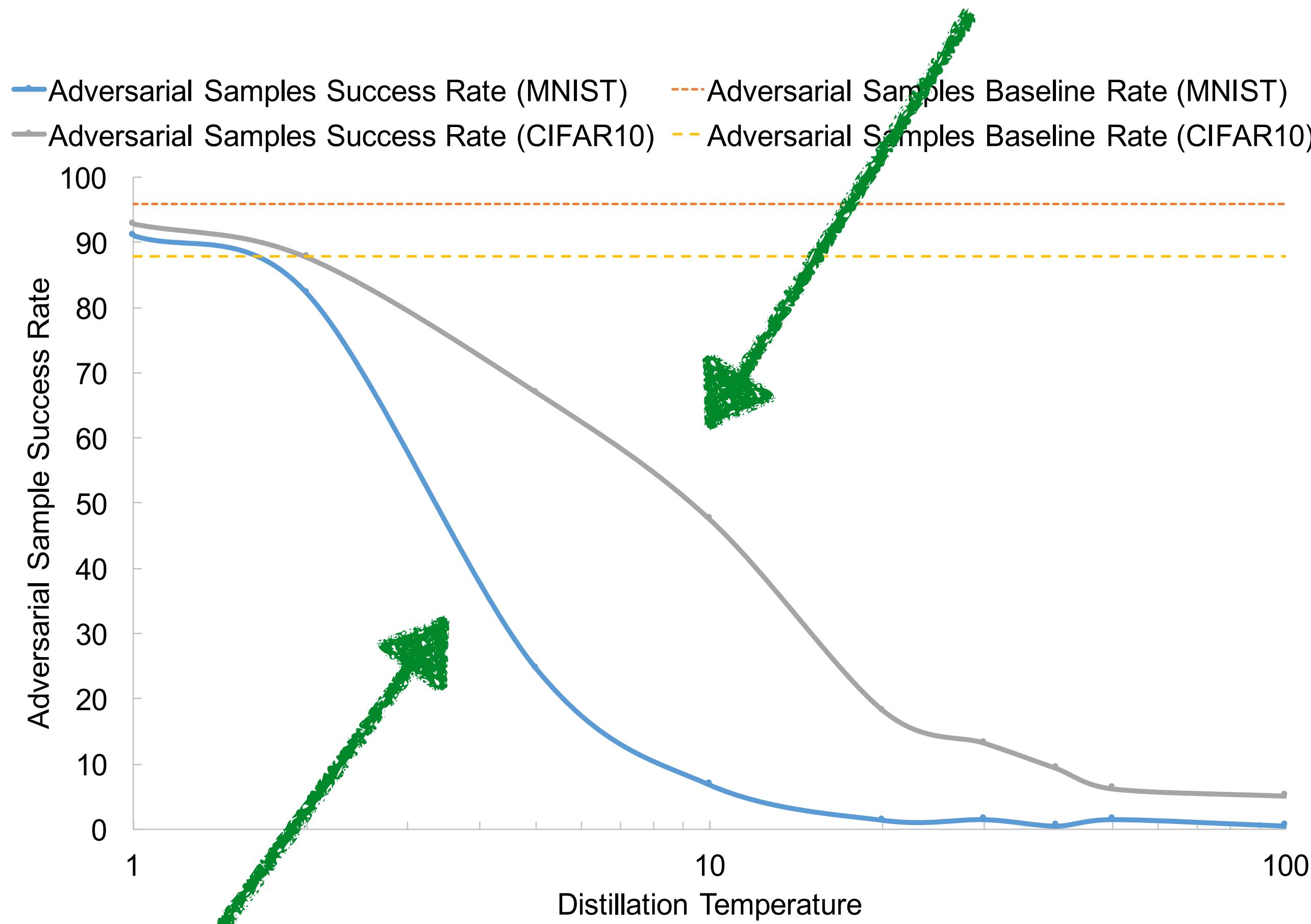
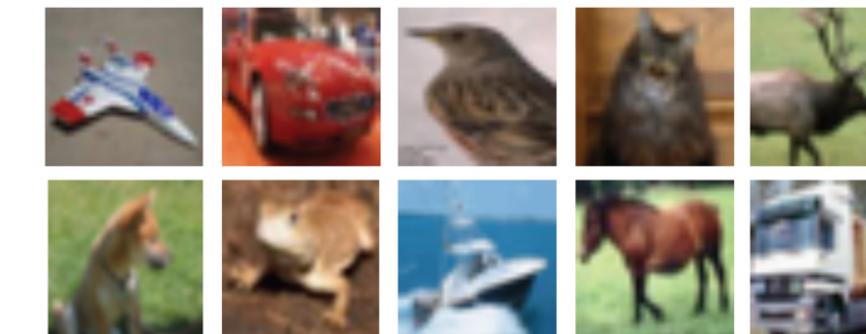


Validation



Experimental Setup

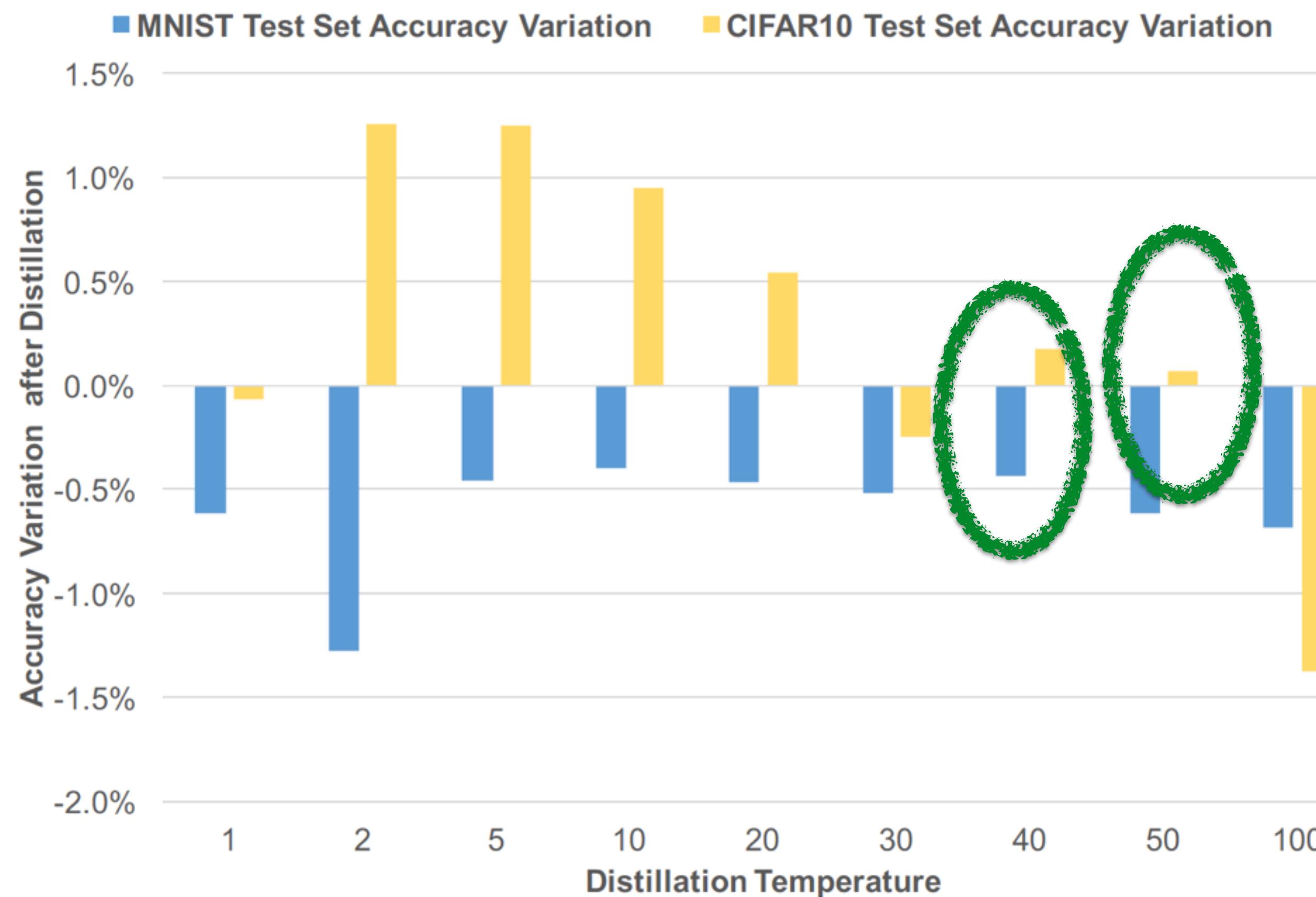




Distillation Temperature	MNIST Adversarial Samples Success Rate (%)	CIFAR10 Adversarial Samples Success Rate (%)
1	91	92.78
2	82.23	87.67
5	24.67	67
10	6.78	47.56
20	1.34	18.23
30	1.44	13.23
40	0.45	9.34
50	1.45	6.23
100	0.45	5.11
No distillation	95.89	87.89



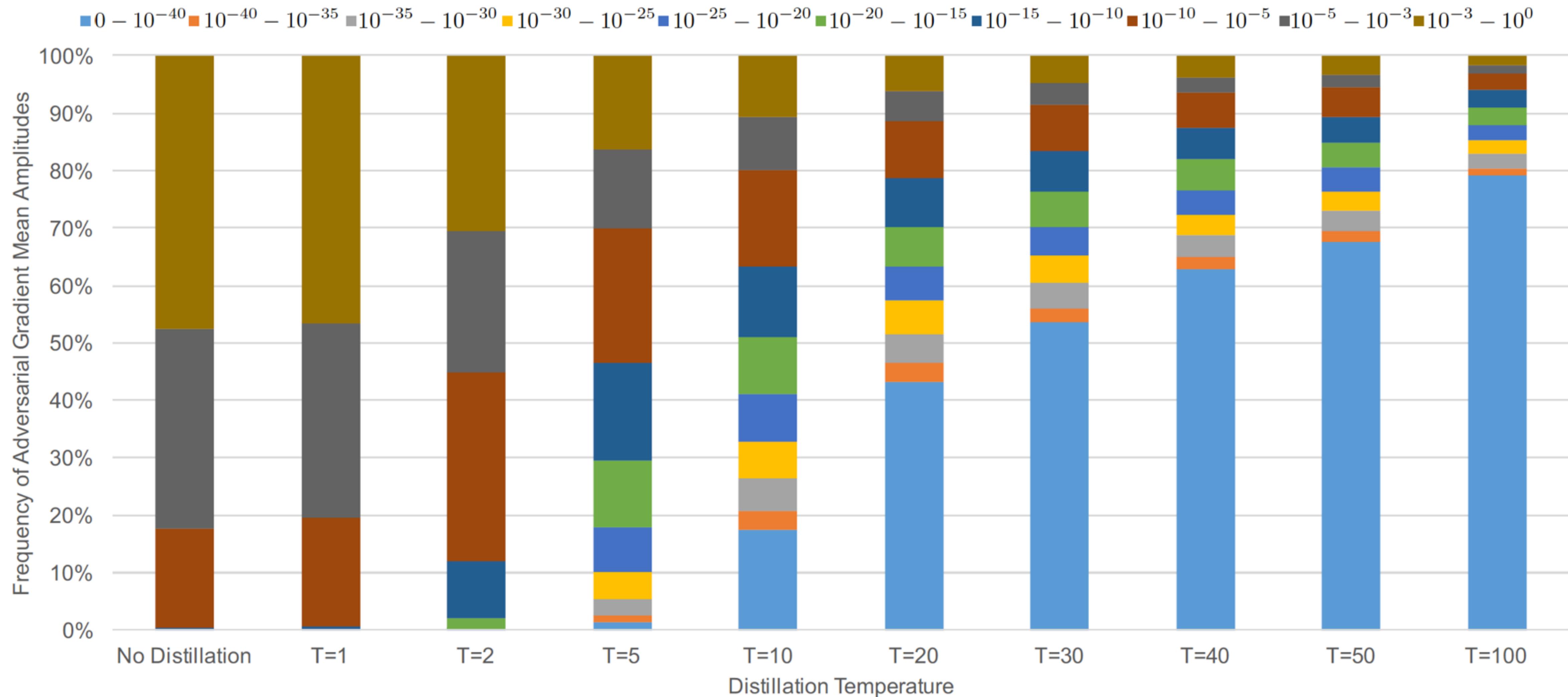
Impact on accuracy

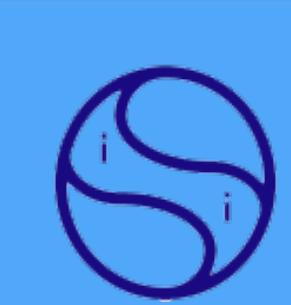


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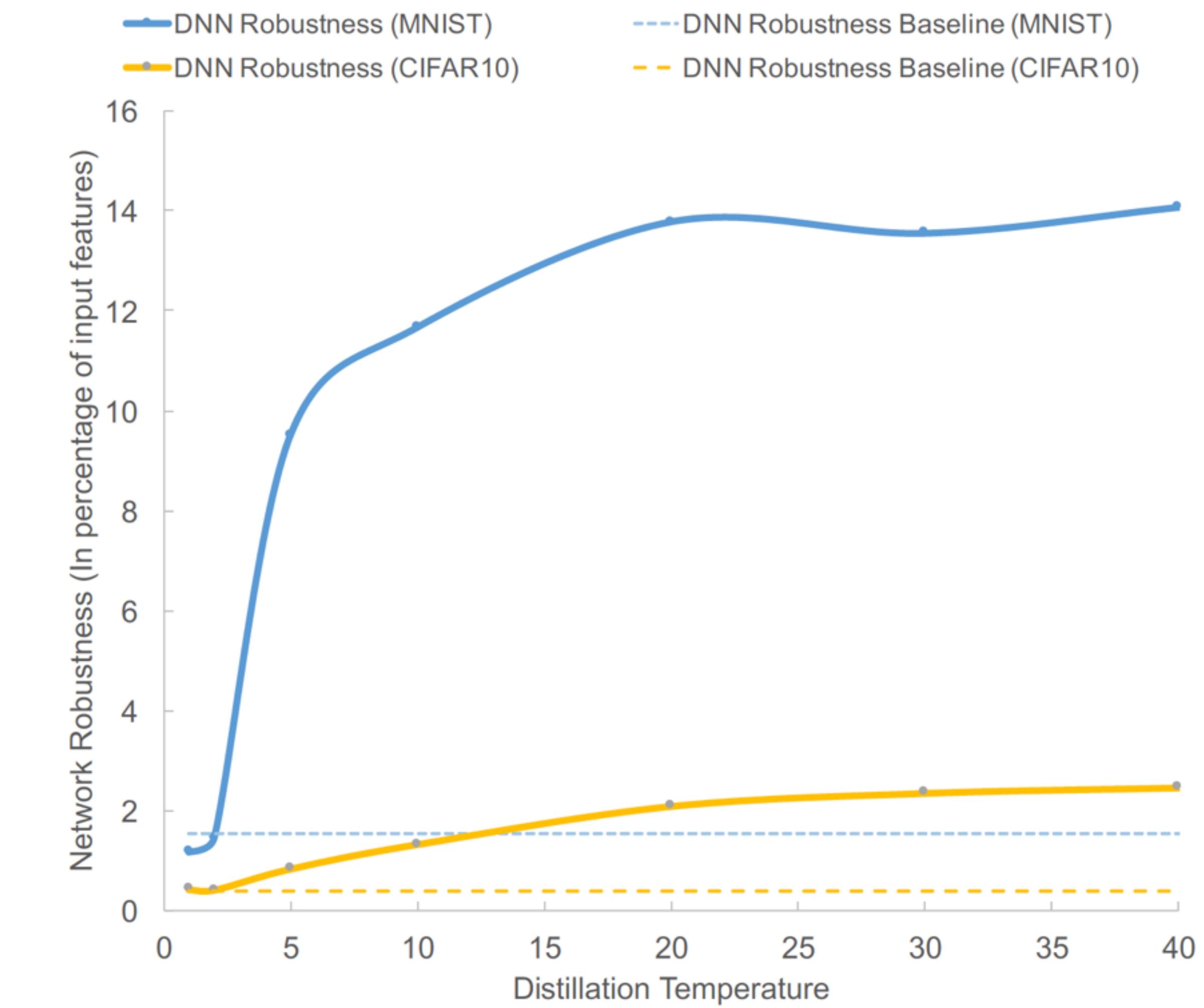
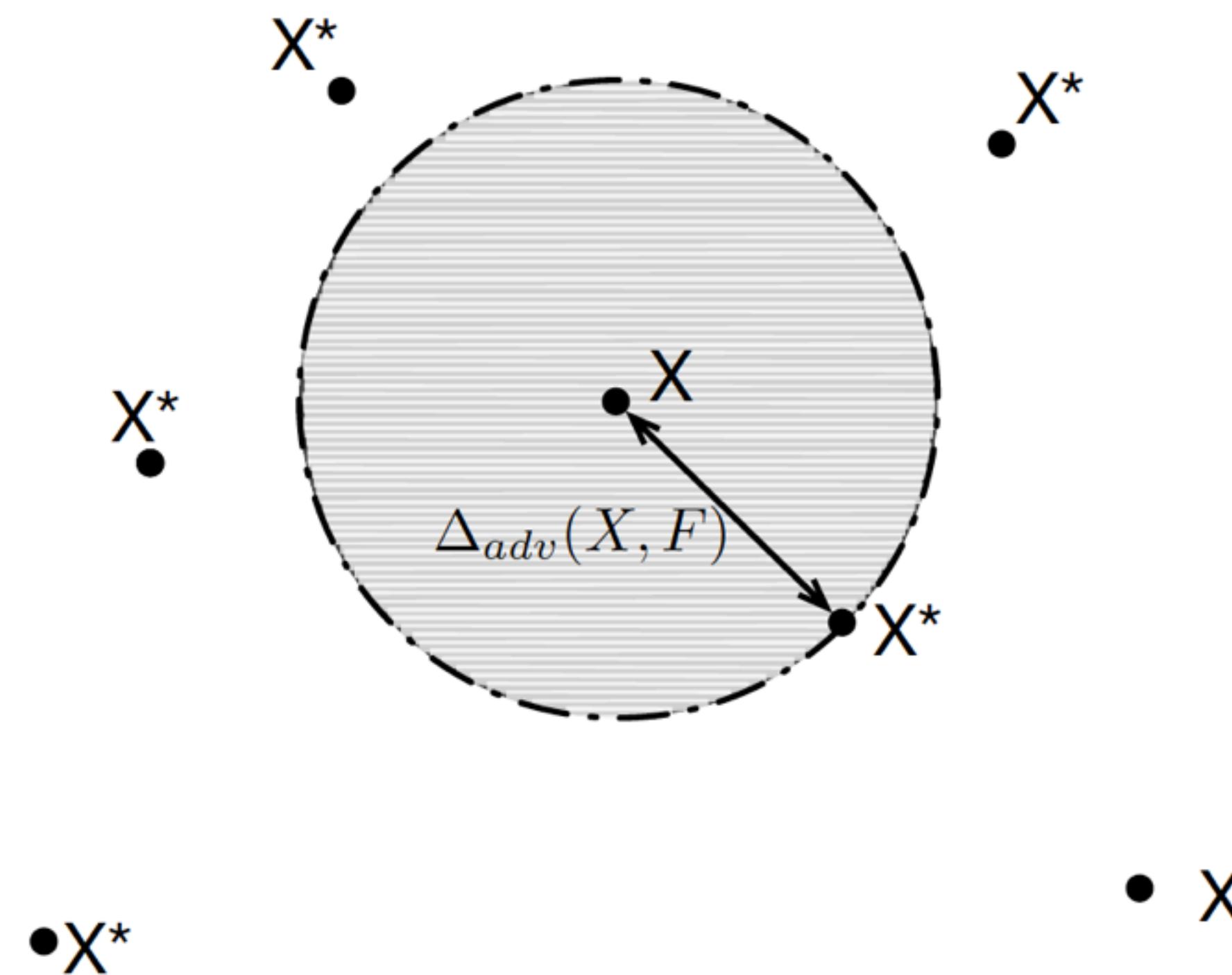


Impact on Jacobian Amplitude





Estimation of Robustness





Conclusions



Take aways

- Distillation significantly reduces attack success
- Yields model smoothness
- Easy implementation, low overhead
- Acceptable impact on accuracy



Questions?

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